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IMAGINATION AND CREATIVE THINKING SKILLS OF ELEMENTARY SCHOOL STUDENTS IN LEARNING MATHEMATICS: A REFLECTION OF REALISTIC MATHEMATICS EDUCATION

Imam Kusmaryono

Universitas Islam Sultan Agung

kusmaryono@unissula.ac.id

Hevy Risqi Maharani

Universitas Islam Sultan Agung

hevyrisqi@unissula.ac.id

Abstract

This research is a qualitative research based on classroom reports. The purpose of the study was to investigate the effect of the RME approach on the imagination and creative thinking abilities of elementary school students in solving math problems. The method of data collection was done through written tests, observations, and interviews. The participants in this study consisted of a class teacher, 36 grade 6 elementary school students, and an observer. The results showed that the application of the realistic mathematics education (RME) learning approach had a positive effect, namely encouraging the development of students' imaginative power and creative thinking skills in solving problems. The principles of RME are in line with the objectives of learning mathematics, namely to equip them with the ability to think logically, realistically, analytically, systematically, critically, and creatively.

Keywords: Imagination; Creative Thinking; Realistic Mathematics Education

Abstrak

Penelitian ini merupakan penelitian kualitatif berbasis classroom report. Tujuan penelitian untuk menyelidiki pengaruh pendekatan RME terhadap daya imajinasi dan kemampuan berpikir kreatif siswa sekolah dasar dalam menyelesaikan masalah matematika. Metode pengumpulan data dilakukan melalui tes tertulis, pengamatan, dan wawancara. Participant dalam penelitian ini terdiri dari seorang guru kelas, 36 siswa kelas 6 sekolah dasar, dan seorang pengamat. Hasil penelitian menunjukkan bahwa penerapan pendekatan pembelajaran realistic mathematics education (RME) memberi pengaruh positif yaitu mendorong berkembangnya daya imajinatif dan kemampuan berpikir kreatif siswa dalam memecahkan masalah. Prinsip-prinsip RME sejalan dengan tujuan pembelajaran matematika yaitu membekali mereka dengan kemampuan berpikir logis, realistis, analitis, sistematis, kritis, dan kreatif

Kata Kunci: *Imajinasi, Berpikir Kreatif, Realistic Mathematics Education.*

INTRODUCTION

Learning mathematics in elementary schools is an interesting study to discuss because of the different characteristics, namely between the nature of students and the nature of mathematics. Elementary school-age students are developing at the level of thinking. This is because the thinking stage of elementary school students is still not formal, even elementary school students in lower grades are still in the pre-concrete thinking stage (Kholiq, 2020). On the other hand, mathematics is a deductive, axiomatic, formal, hierarchical, abstract science, and is a meaningful language of symbols (Venturi, 2015; Vojkuvkova, 2012). Given these differences in characteristics, it is necessary to have a special ability from a teacher to bridge the world of children who have not thought deductively in order to understand the deductive world of mathematics.

The success of learning mathematics is influenced by the tendency to like mathematics as a challenge or referred to as a mathematical disposition (I. Kusmaryono *et al.*, 2019; Mueller *et al.*, 2011; Ulia & Kusmaryono, 2021). However, efforts to improve mathematical disposition are still hindered by students' negative perceptions of mathematics. The results of previous studies show that for students mathematics is difficult, mathematics is a lot of memorizing



formulas, mathematics is a lot of tasks, mathematics is not fun, and so on (Li & Schoenfeld, 2019; Schoenfeld, 2016). Actually, these negative perceptions (problems) refer to abstract mathematical objects and an inappropriate approach to learning mathematics. Therefore, it is necessary for teachers to be creative in managing mathematics learning (Kusmaryono *et al.*, 2021; Rosyada & Retnawati, 2021), especially in distance learning during the Covid-19 pandemic.

Referring to the fact that there are differences in these characteristics, it is clear how important it is to choose an approach to learning mathematics in elementary schools. The question is "What is the learning approach that can connect the real-world context and everyday life of elementary school-aged students with the study of abstract mathematics?" To answer this question, teachers are required to be able to manipulate abstract material by visualizing it into real life (contextual) that can be imagined or may have been or even often experienced by the students themselves (Laurens *et al.*, 2018).

Basically, mathematics is very closely related to everyday life. One approach to learning mathematics that is oriented to the mathematization of everyday experiences and applying mathematics in everyday life is the realistic mathematics education approach (Laurens *et al.*, 2018). The main concept of realistic mathematics education is meaningfulness (Prahmana *et al.*, 2020).

The results of the summary of some literature from experts (Amala & Ekawati, 2020; Kempa *et al.*, 2019; Menon, 2015; Prahmana *et al.*, 2020; Van Den Heuvel-Panhuizen, 2003) can be defined that the mathematics realistic education (RME) approach is an approach that uses or relates mathematics subject matter to realistic problems, namely problems (activities) experienced by humans in everyday life through the process of mathematization both horizontally and vertically. The RME learning approach emphasizes more on real contexts known to students and the process of constructing mathematical knowledge by students (Van Den Heuvel-Panhuizen, 2003).

The RME approach has advantages, namely: Mathematics lessons become more fun, the subject matter becomes easy to understand by students, students can build their own knowledge, and students feel valued in expressing opinions so that their self-confidence increases (Kempa *et al.*, 2019; Laurens *et al.*, 2018; Prahmana *et al.*, 2020). The weaknesses of the RME approach are: it is not easy



for teachers to encourage students to find various ways to solve problems, and it is not easy for teachers to provide assistance to students in order to rediscover the mathematical concepts learned (Kempa *et al.*, 2019; Prahmana *et al.*, 2020; Theodora & Hidayat, 2018). In order to overcome the weaknesses of RME, it can be done through horizontal mathematization and vertical mathematization processes (Laurens *et al.*, 2018).

A realistic problem does not always have to be a problem that exists in the real world and can be found in students' daily lives. A problem is called realistic if the problem can be imagined (imaginable) or real (real) in the minds of students (Van Zanten & Van Den Heuvel-Panhuizen, 2021). A fictional story, a game, or even a formal form of mathematics can be used as a realistic problem (Amala & Ekawati, 2020).

In realistic mathematics learning, realistic problems can be used as a foundation in building mathematical concepts (Kempa *et al.*, 2019; Laurens *et al.*, 2018). For this reason, students are expected to be more active in discussing and reflecting in order to construct mathematical concepts (Ardiyani & Gunarhadi, 2018; Febriyanti *et al.*, 2019). By applying a realistic mathematical approach, students will be able to build imagination and creative thinking skills in solving a problem (Kohar A.W. *et al.*, 2021).

Imagination is a work of the mind in developing a broader thought than what has been seen, heard, and felt (Pelaprat & Cole, 2011; Yuli & Siswono, 2011). Imagination is the power of thought to imagine (in wishful thinking) or create images (paintings, essays, etc.) of events based on reality or one's general experience (Pelaprat & Cole, 2011; Venturi, 2015). With imagination, humans develop something from simplicity to be more valuable in mind (Pelaprat & Cole, 2011).

Talking about imagination is very closely related to creative thinking activities (creativity), on the other hand talking about creative thinking (creativity) cannot be separated from imagination (Tsaniyah & Poedjiastoeti, 2017). Because creativity is the ability to produce something new and unique from the results of the thinking process (imagination) (Neto *et al.*, 2019). Imagination is often said to be the basis of creative thinking activities. Creative people have many hidden piles of imagination in their brains (Arikan & Unal, 2014).



This study aims to investigate the effect of the RME approach on the imagination and creative thinking abilities of elementary school students in solving math problems. The results of this study are expected to provide benefits to elementary school teachers, namely (1) as consideration for implementing learning with the RME approach in elementary schools; (2) as an effort to bring mathematics (with abstract objects) closer to realistic problems according to the learning world of elementary school students; and (3) to develop imaginative and creative thinking skills in solving problems.

METHODS

This research is a qualitative research based on classroom reports (Eriksson *et al.*, 2018; Hazzan & Nutov, 2014). Where one class group is given the treatment of mathematics learning with a RME approach, then at the end of learning students complete the test. All important things that occur during learning activities are observed, recorded, and reported.

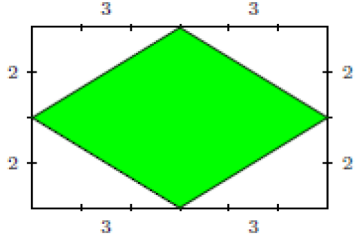
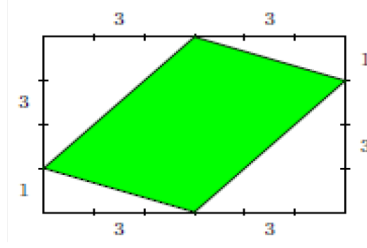
The method of data collection was done through written tests, observations, and interviews. The test instrument consists of mathematical questions about the material area of a quadrilateral area and social arithmetic. The observation instrument was in the form of an observation sheet for teacher and student activities during the learning process. Interview instrument in the form of a list of interview questions compiled in a semi-structured (Eriksson *et al.*, 2018).

The research was conducted at Sultan Agung Islamic Elementary School, Semarang. The participants in this study consisted of a class teacher, 36 grade 6 students, and an observer. The class teacher is in charge of managing learning in the mathematics class with a mathematical realistic education approach. An observer notes and reports important things during the learning activity.

The problems presented in the learning are contextual problems. Researchers took two examples of mathematical problems that must be solved by students after participating in RME learning. These problems are about the area of a quadrilateral and social arithmetic as presented in the following table.



Table 1. Mathematics Problems

Problems	Description of the problem posed to students
<p>Problem 1:</p> <p>Area of the quadrilaterals</p>	<p>Which of the shaded quadrilaterals - a or b - looks to contain the biggest area?</p> <div style="display: flex; justify-content: space-around; align-items: center;"> <div style="text-align: center;">  <p>Figure A</p> </div> <div style="text-align: center;">  <p>Figure B</p> </div> </div>
<p>Problem 2:</p> <p>Social arithmetic</p>	<p>In a shop selling several packages of stationery. Package A for IDR 2,500.00 consists of 1 notebook and 2 pencils. Package B for IDR 2,000.00 consists of 1 notebook and 1 pencil.</p> <p>If Dony wants to buy more books than pencils with IDR 5,500,00 how many books and pencils can he buy?</p>

This research begins with carrying out mathematics learning in grade 6 elementary school for 3 meetings. Each lesson is carried out using the RME approach using the steps of (1) understanding the problem/context, (2) explaining contextual problems, (3) solving contextual problems, (4) comparing and discussing answers, and (5) concluding. The first meeting discussed the material of the area of a quadrilateral. The second meeting discussed social arithmetic. In the third meeting, students were given a test in the form of problems to solve. Then, several students were selected purposively and interviewed in-depth to confirm the answers and the problem-solving process.

The written test results data were analyzed and grouped based on the characteristics and types of answers. The interview data were reduced and described qualitatively and validated by the triangulation method (Sandybayev, 2019). The conclusion of the research results is based on the triangulation validation of relevant sources, methods, and theories (Carter *et al.*, 2014).



RESULT AND DISCUSSION

1. Results

Based on observations, it can be reported that the implementation of learning is running according to the RME learning steps. The contextual problems presented can be understood by students. The teacher facilitates the discussion well. In the discussion students actively interact with group members. When concluding answers, various types of creative answers emerge.

The results of student responses to the test (problem) submitted were collected as many as 36 respondents. All answers have been carefully corrected and analyzed. The quality of students' answers is grouped into correct answers and wrong answers in the form of percentages.

Table 2. Quality of Student Answers

Problems	Answer Quality (%)		Total
	Correct	Incorrect	
Problem 1: Area of the quadrilaterals	31 (86,11%)	5 (13.89%)	36 (100.00%)
Problem 2: Social arithmetic	24 (66.67%)	12 (33.33%)	36 (100.00%)
Average	76.39%	23.61%	---

The results of student responses (Table 2) to Problem 1 there are 86.11% of respondents answered correctly, and in Problem 2 there are 66.67% of respondents answered correctly. Thus, it is said that on average there are more than half (most) of the respondents who managed to correctly answer the problems posed.

Problem 1 has been answered correctly by 31 respondents (See Table 2). After being analyzed, their answers were grouped based on the



characteristics and methods of solving them. The description of the answers to problem 1 is presented in Table 3 below.

Table 3. Description of Answers to Problem 1

N*	Type	Description of the correct answer from Problem 1
N = 12	Type 1a (Figure 1)	They prove the answer with an illustration of a picture, namely by changing the areas of rhombuses and parallelograms into rectangles
N = 8	Type 1b (Figure 2)	In general, they prove the area of the two quadrilaterals by calculating the area (green color) through a formula. So we get the same area which is 12 units
N = 4	Type 1c (Figure 3)	They calculate the area of quadrilaterals A and B by counting the number of squares (units) that are intact and combining the parts of the units that are not intact. So, the area of the quadrilateral A = B (12 units)
N = 7	Type 1d	Intuitively they answered "the area of quadrilateral A is equal to the area of quadrilateral B", without any description of the solution process"

*N = Responden

The following is a picture of student work that represents the answer (type 1a) based on the proposed problem 1. Next, the researcher conducted interviews with several students who were selected to represent each different answer.

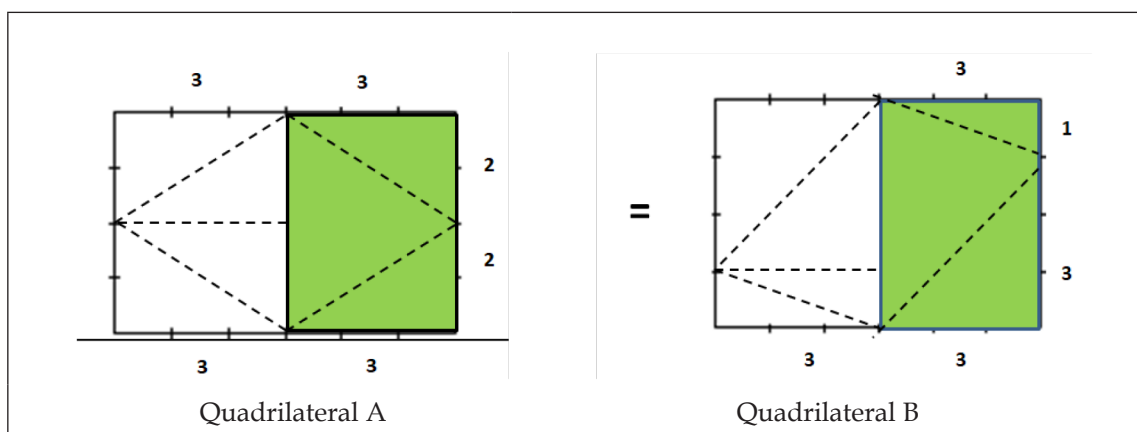


Figure 1. Student Answers (Type 1a)



To confirm the answers in Figure 1, the researcher conducted interviews with students. Interviews were conducted in-depth to determine the imaginative thinking process and students' creative thinking skills in solving problems (problem 1).

- Researcher : What do you think about when you face problem 1?
Student (S-1a) : I picture a rectangular field in my mind.
Researcher : Why did you convert that rectangle into a rectangle specifically?
Student (S-1a) : So that it is easy to compare the areas of the two quadrilaterals
Researcher : How do you prove that both quadrilaterals A and B have the same area?
Student (S-1a) : I moved the parts of the rectangle to the other congruent side so that it became a rectangle.
Researcher : Why don't you calculate the area of a quadrilateral?
Student (S-1a) : I think it will take a lot of time and a lot of energy.

The following is a picture of student work that represents the answer (type 1b) based on the proposed problem 1.

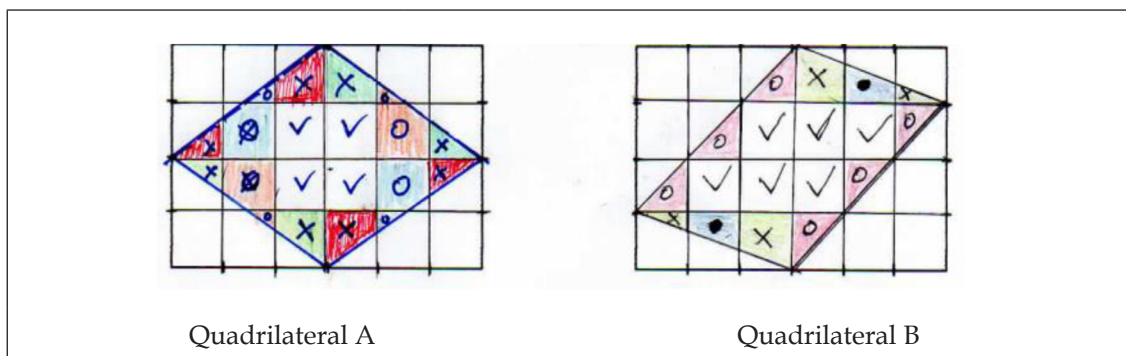


Figure 2. Student Answers (Type 1b)

To confirm the answers in Figure 2, the researcher conducted interviews with students. The following is an excerpt of the interview.

- Researcher : What do you think when solving problem 1?
 Student (S-1b) : Based on experience, I will calculate the area bounded by the sides of a quadrilateral.
 Researcher : How do you do it?
 Student (S-1b) : The idea is, I count the complete units of the quadrilateral area
 Researcher : What about areas (units) that are not intact?
 Student (S-1b) : I combine incomplete units with other units so that they become whole.
 Researcher : How's your calculation?
 Student (S-1b) : The area of rectangle A = 12 units and the area of the rectangle B = 12 units
 Researcher : What conclusion did you get?
 Student (S-1b) : Both quadrilaterals (A and B) have the same area of 12 units.

The following is a picture of student work that represents the answer (type 1c) based on the proposed problem 1.

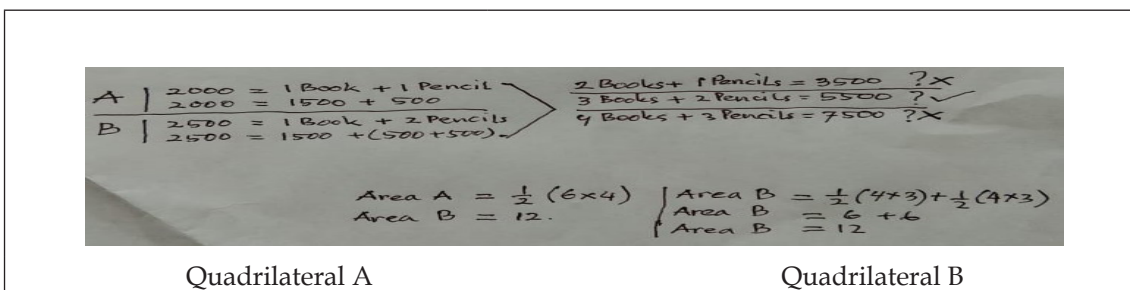


Figure 3. Student Answers (Type 1c)

To confirm the answers in Figure 3, the researcher conducted interviews with students. The following is an excerpt of the interview.

- Researcher : What do you think when solving problem 1?
 Student (S - 1c) : This problem is an experience I've had
 Researcher : What is your idea to solve problem 1?
 Student (S - 1c) : The area of A is half of the area of the rectangle.
 Researcher : The area of area B is the area of two triangles.
 Student (S - 1c) : What is your conclusion?



The following is a picture of student work that represents the answer (type 1d) based on the proposed problem 1.

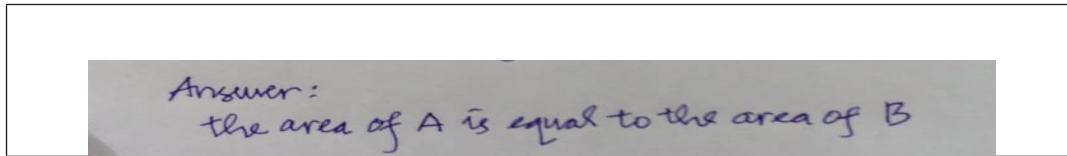


Figure 4. Student Answers (Type 1d)

To confirm the answers in Figure 4, the researcher conducted interviews with the students. The following is an excerpt of the interview.

- Researcher : What are you thinking about?
 Student (S-1d) : I don't have many ideas
 Researcher : Why don't you try something else?
 Student (S-1d) : I'm not interested in trying, because I'm afraid I'm wrong
 Researcher : Are you sure about your answer?
 Student (S-1d) : I firmly believe that the area of quadrilateral A is equal to the area of quadrilateral B.
 Researcher : How to prove your answer?
 Student (S-1d) : I can't prove it analytically, but just physically comparing the two.

Problem 2 has been answered correctly by 24 respondents (see Table 2). After being analyzed, their answers were grouped based on the characteristics and methods of solving them. The description of the answers to problem 2 is presented in Table 4 below.

Table 4. Description of Answers to Problem 2

N*	Type	Description of the correct answer from Problem 2
N = 7	Type 2a (Figure 4)	They prove the answer through the illustration of the balance model with the addition and subtraction technique.
N = 6	Type 2b (Figure 5)	They use the distribution table model
N = 11	Type 2c (Figure 6)	In general, they do a trial and error until the correct answer is obtained.

Interviews were also conducted with several students selected to represent each different answer. The purpose of the interview was to find out about the imaginative thinking process and students' creative thinking skills in solving problems (problem 2). It should be noted that grade 6 elementary school students have not been introduced to a two-variable linear equation system so that students' answers are purely the result of their creativity after participating in learning with a mathematics realistic education approach. The following is a picture of student work that represents the answers (type 2a) based on the proposed problem 2.

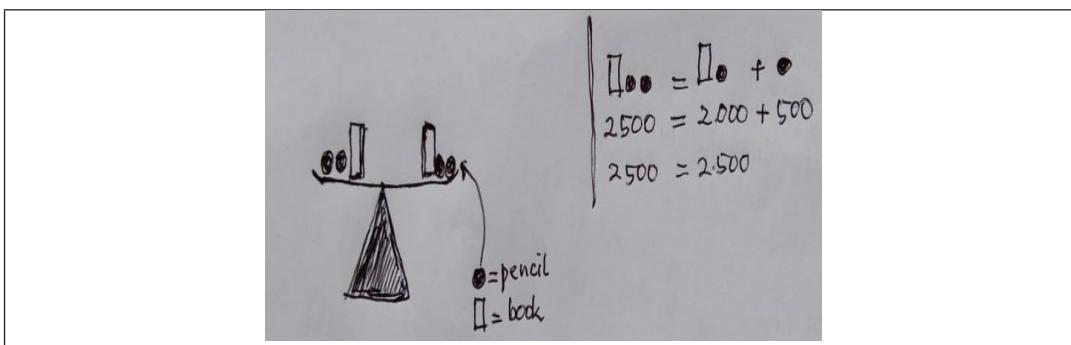



Figure 5. Student Answers (Type 2a)

To confirm the answers in Figure 5, the researcher conducted interviews with students. The following is an excerpt of the interview.

- Researcher* : *What do you think (imagine) about this problem?*
Student (S-2a) : *I imagine this matter as a balance*
Researcher : *Where did you get the scale idea from?*
Student (S-2a) : *This is my experience in daily life*

Researcher : *Why did you add 1 pencil to the right side of the scale?*
Student (S-2a) : *The goal is that the left and right sides are balanced and can find the price of 1 pencil. = 500 and 1 book = 1,500*

Researcher : *What is the result of solving this problem?*
 $= (3 \times 1.500) + (2 \times 500)$

Student (S-2a) :  $= 4.500 + 1.000$
 $= 5.500$



The following is a picture of student work that represents the answer (type 2b) based on the proposed problem 2.

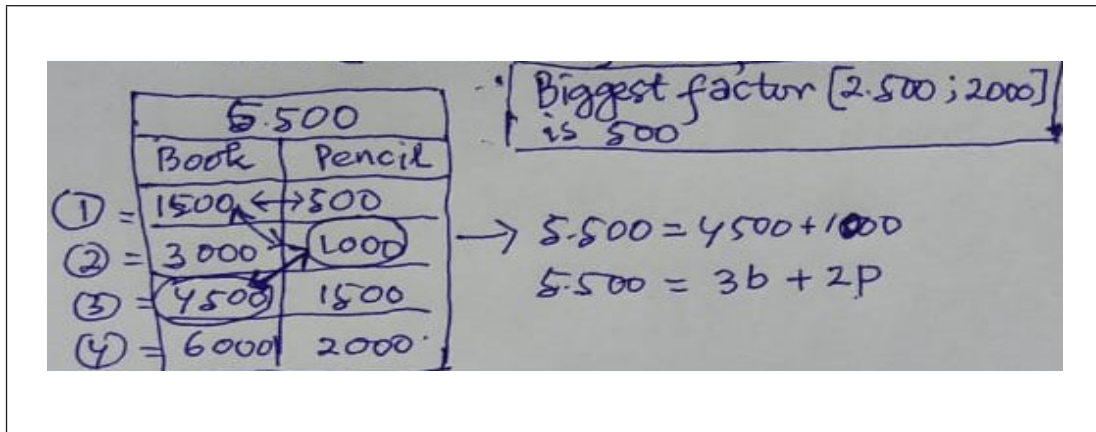


Figure 6. Student Answers (Type 2b)

To confirm the answers in Figure 6, the researcher conducted interviews with students. The following is an excerpt of the interview.

- Researcher : What is your goal in finding the greatest common factor of 2,500 and 2,000?
- Student (S-2b) : The greatest common factor of 2,500 and 2,000 is 500. This number 500 is the basis for initial calculations to estimate the price of goods, 1 pencil = 500 and 1 book = 1,500
- Researcher : Why did you put the number 500 in the pencil column?
- Student (S-2b) : In order to fulfill the equation that 1 book + 2 pencils = 2,500
- Researcher : Why do you use distribution tables in solving problem 1?
- Student (S-2b) : To help express ideas so that calculations are more real
- Researcher : What conclusions can you draw from the table?
- Student (S-2b) : So the pair of goods with a price of IDR 5,500.00 is 3 notebooks and 2 pencils.

The following is a picture of student work that represents the answer (type 2c) based on the proposed problem 2.

Handwritten student work showing algebraic equations for books and pencils, and area calculations for two shapes, A and B.

$$\begin{array}{l} A \mid 2000 = 1 \text{ Book} + 1 \text{ Pencil} \\ \quad 2000 = 1500 + 500 \\ \hline B \mid 2500 = 1 \text{ Book} + 2 \text{ Pencils} \\ \quad 2500 = 1500 + (500 + 500) \end{array}$$

$$\begin{array}{l} 2 \text{ Books} + 1 \text{ Pencils} = 3500 \quad ? \times \\ 3 \text{ Books} + 2 \text{ Pencils} = 5500 \quad ? \checkmark \\ 4 \text{ Books} + 3 \text{ Pencils} = 7500 \quad ? \times \end{array}$$

$$\begin{array}{l} \text{Area A} = \frac{1}{2} (6 \times 4) \\ \text{Area B} = 12. \end{array}$$

$$\begin{array}{l} \text{Area B} = \frac{1}{2} (4 \times 3) + \frac{1}{2} (4 \times 3) \\ \text{Area B} = 6 + 6 \\ \text{Area B} = 12 \end{array}$$

Figure 7. Student Answers (Type 2c)

To confirm the answers in Figure 7, the researcher conducted interviews with students. The following is an excerpt of the interview.

- Researcher* : How do you think about how to solve problem 1?
Student (S-2c) : I can imagine this problem as not difficult.
Researcher : How can you determine the price of 1 book = 1,500 and 1 pencil = 500?
Student (S-2c) : This is the result of several tries (trial and error) with the assumption that the price of the book is more expensive than the price of a pencil
Researcher : Why did you choose that the price of 1 book = 1,500 and 1 pencil = 500, not the other way around 1 book = 500 and 1 pencil = 1,500?
Student (S-2c) : In everyday experience, the price of books is more expensive than the price of pencils and I buy more books than pencils.
Researcher : How to solve problem 1?
Student (S-2c) : After several times I tried to compile a price list of goods, finally found for IDR 5,500.00 I can buy 3 notebooks and 2 pencils.

2. Discussion

Based on observations, it was reported that learning was carried out in accordance with the steps and principles of the RME approach. The RME learning steps implemented include: (1) starting the lesson by asking “real” problems (questions) according to the experience and level of student’s knowledge so that students are involved in meaningful learning; (2) problems are directed according to the objectives to be achieved; (3) students develop or create informal symbolic models of the problems or problems posed; and (4) learning takes place interactively where during discussions students explain and give reasons for their friends’ answers,



express disagreements, look for other alternative solutions, and reflect on each step taken on the results of the lesson. Of course, learning mathematics RME is very appropriate and useful for children aged 7-11 years, in the field of mathematics (Ardiyani & Gunarhadi, 2018; Kholiq, 2020).

Imagination thinking that takes place in students (S-1a; S-1b; S-1c; S-2a; S-2c) is an experience they have ever experienced. Students' thinking imagination (S-1a; S-1b; S-1c; S-2a; S-2c) is referred to as the process of rebuilding the perception of an object that is first given the perception of understanding from previous knowledge (Beyerl *et al.*, 2016; Budiman & Apriani, 2019). In general, they already have a strong imagination about the rectangle (S-2a), triangle (S-1c), and the balance model (S-2a). Through these experiences, they reconstruct their knowledge to solve the problems they face (Crooks & Alibali, 2013).

Meanwhile, students (S-2b) stated that the solution with the distribution table model made the experience more real. Student (S-2b) added that through the distribution table, the right pair of items could be found at a price of IDR 5,500.00, namely 3 notebooks and 2 pencils. Students (S-2a and S-2b) based on their imaginations can make mathematical symbolic models (Mann, 2006). Student (S-2c) stated that problem 2 to determine the price of books and pencils is not difficult even though by trial and error. Student (S-2c) imagining that the price of a book is more expensive than the price of a pencil is true. On the other hand, students (S-1d) who do not have many ideas and are less imaginative, do not dare to take risks for fear of making mistakes. They do not realize that the ability to think, examine, understand, understand, and feel something imagined will actually be processed in our imagination (Pelaprat & Cole, 2011).

Regarding the results of this study, it can be stated that through Realistic Mathematics Education learning, children (students) can learn contextual things and they are increasingly developing their imagination (thinking power) (Pelaprat & Cole, 2011; Putri *et al.*, 2019; Ulandari *et al.*, 2019). The power of imagination can be seen from their ability to reveal more information from learning sources, express ideas or ideas about existing problems (Pelaprat & Cole, 2011; Wang *et al.*, 2010; Yuli & Siswono, 2011).



Talking about creative thinking skills, students' work (see Figure 1 to Figure 7) which varies differently can be said to be a reflection of students' creative thinking abilities. This shows that the students' work has original (creative) ideas that are different from most of the other students (Maharani *et al.*, 2017). Operationally, it has fulfilled the element of creativity which is formulated as "the ability that reflects fluency, flexibility (flexibility), and originality in thinking, as well as the ability to elaborate (develop, enrich, detail) an idea (Yuli & Siswono, 2011).

Creativity has been shown by students (S-1a; S-1b; S-1c; S-2a; S-2b; and S-2c), they have the ability to make new combinations based on existing data, information, or elements (Mann, 2006). On the other hand, students (S-2a) have used their imagination through the use of concrete materials with a balance model to solve problem 2 (Otten *et al.*, 2019). Students stated that it is realistic to achieve a state of balance by adding 1 (one) pencil. The balance model for solving problem 2 (see Figure 4) is more often used by students who have algebraic experience related to physical experiences in everyday life (Otten *et al.*, 2019).

Meanwhile, students (S-2b) in the first step use their imagination by finding the largest common factor of 2,500 and 2,000, which is 500, then using the goods price distribution table to compile a mathematical model (bachelor & biology 2020) so that the right answer is obtained. Creativity is also shown by students (S-2c) students (S-2c) with the courage to do trial and error through the presentation of various answer choices. But finally, students (S-2c) can find the right answer for solving problem 2. This condition can be said that students (S-2b and S-2c) have convergent thinking (creative thinking), namely the ability to find many possible answers to a problem, with an emphasis on quantity, appropriateness, and variety of answers (Lubart, 2016).

Summarizing from this discussion, a red line can be drawn that imaginative ability is closely related to the ability to think creatively. Creative and imaginative thinking is a person's ability to hone his creative and imaginative powers in creating new things (Mann, 2006). It is not wrong if students who are able to think creatively are always followed by high imaginative abilities (Birgili, 2015; Mann, 2006).



The development of students' imaginative and creative thinking abilities cannot be separated from the application of the RME approach by the teacher. The RME approach provides students' learning experiences according to the real context of students' lives and their level of knowledge (Van Zanten & Van Den Heuvel-Panhuizen, 2021). Based on the learning experience, students can develop or create symbolic models of the problems posed. So that students can imagine and think creatively to find alternative problem solving (Ulandari *et al.*, 2019). Of course, learning mathematics RME is very appropriate and useful for children aged 7-11 years, in the field of mathematics (Ardiyani & Gunarhadi, 2018; Wahyudi, 2016).

CONCLUSION

Imaginative ability is closely related to the ability to think creatively. Students with high creative thinking skills in their thinking activities always begin with high imagination power, then that imagination is actualized in actions to solve problems. Meanwhile, students who are less creative generally lack ideas, lack imagination, and do not dare to try. The application of the realistic mathematics education learning approach has a positive influence, namely encouraging the development of students' imaginative power and creative thinking skills in solving problems. The principles of RME are in line with the objectives of learning mathematics, namely to equip them with the ability to think logically, realistically, analytically, systematically, critically, and creatively.



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